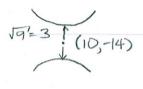
Find the co-ordinates of the vertices and foci, and the equations of the asymptotes of the hyperbola

$$\frac{(y+14)^2}{9} - \frac{(x-10)^2}{36} = 1$$
. State clearly which co-ordinates are for which points.



$$C^2 = 9 + 36$$

CENTER= (10,-14)
VERTICES= (10,-14±3)= (10,-11), (10,-17)
FOC 1 = (10,-14±3/5'), (10)
ASYMPTOTES:
$$m=\pm \frac{19}{36}=\pm \frac{3}{6}=\pm \frac{1}{2}$$

 $y+14=\pm \frac{1}{2}(x-10)$

Find the equations of the following conics.

hyperbola with vertices (-13, 10) and (3, 10), and foci (4, 10) and (-14, 10)[a]

CENTER =
$$(-13+3)$$
 (D) = $(-5,10)$
 $(x+5)^2$ $(y-10)^2$ = 17
 64 17

$$\frac{8}{9}$$

$$-14 - 13 - 5 3 4$$

$$9^{2} = 8^{2} + 6^{2}$$

$$6^{2} = 81 - 64 = 17$$

ellipse with foci (-15, 8) and (3, 8), and major axis of length 20 [b]

CENTER =
$$\left(-\frac{15+3}{2}, 8\right) = \left(-6, 8\right)$$

$$(x+6)^{2} + (y-8)^{2} = 1$$

$$(1)$$

$$\begin{array}{c} -9 \\ -15 - 6 \\ 3 \\ 2a = 20 \rightarrow a = 10 \\ 9^2 = 10^2 - 6^2 \\ 6^2 = 100 - 81 = 19 \end{array}$$

Using the distance-based definition of a hyperbola, find the equation of the hyperbola with foci $(0,\pm 8)$

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such that the distances from any point on the hyperbola to the foci differ by 8. Show the algebraic work, not just the final answer.

IF(x,y) IS ON THE HYPERROLA,

DISTANCE FROM DISTANCE FROM =
$$\pm 8$$
 (x,y) TO $(0,-8)$ - (x,y) TO $(0,8)$ = ± 8
 $\sqrt{x^2 + (y + 8)^2} - \sqrt{x^2 + (y - 8)^2} = \pm 8$
 $\sqrt{x^2 + (y + 8)^2} = \pm 8 + \sqrt{x^2 + (y - 8)^2}$,

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 $\sqrt{x^2 + (y + 8)^2} = \pm 8 + \sqrt$

Find the co-ordinates of the foci, vertices, and endpoints of the minor axis of the ellipse $4x^2 + y^2 + 24x + 10y + 45 = 0$. State clearly which co-ordinates are for which points.

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